

# PREDICTION OF STABILITY CONSTANTS FOR $\text{Cu}^{2+}$ COMPLEXES WITH ORGANIC FLUORESCENT LIGANDS USING THERMODYNAMIC CYCLE IN COMBINATION WITH DFT THEORY AND SMD SOLVENT MODEL

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**Abstract.** Accurately predicting the stability constant ( $\beta$ ) of the  $\text{Cu}^{2+}$  complex with organic fluorescent ligands provides an important basis to design molecular fluorescent sensors for selective detection of  $\text{Cu}^{2+}$ . With appropriate reference complexes, the calculated stability constants are in good agreement with experimental values. The  $\log\beta$  values of the predicted stability constants of  $\text{Cu}^{2+}$  complexes with Calcein blue ( $\text{H}_3\text{Cb}$ ) and FluoZin-1 ( $\text{H}_2\text{Fz}$ ) are 13.33 (exp. 14.27) and 6.59 (exp. 6.01), respectively. More importantly, the results could be applied to the investigation of complexes.

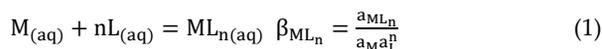
**Keywords:** fluorescent, stability constant, complex, thermodynamic cycle, DFT

## 1 Introduction

The complex interaction between metal ions and organic fluorescent ligands is one of the important approaches to design fluorescent sensors for the detection of metal ions as well as other analytical species, such as anions and biothiols through complex exchange reactions [1]. Besides a requirement of optical properties, a fluorescent sensor for detection of metal ions needs sufficiently strong interaction with the target metal ion, usually through complexation reactions [2]. Predicting this complex formation is very necessary for designing sensors [3].

Understanding the complexation characteristics of metal ions in aqueous solutions is the basis for

predicting and controlling the behavior of metal ions in the environment, biological systems, and other industrial applications [4]. The key point of this problem is to estimate the affinity of metal ions with the ligands through the stability constant of complexes [5, 6]. By definition, the stability constant of complexes between metal ion M and ligand L ( $\beta_{\text{ML}_n}$ ) in the solution is determined according to Eq. (1).



where "a" is the activity at equilibrium, and "aq" indicates the state in the aqueous solution. The stability constant can be approximately evaluated through concentration instead of activity; therefore, the stability constant can be expressed as in Eq. (2).

$$\beta_{ML_n} \approx \frac{[ML_n]}{[M][L]^n} \quad (2)$$

and the relationship between  $\beta_{ML_n}$  and Gibbs free energy of complex formation reaction ( $\Delta G_{aq}^0$ ) is expressed in Eq. (3).

$$\Delta G_{aq}^0 = -RT \ln \beta_{ML_n} \quad (3)$$

In principle, it is possible to determine the stability constant of a complex by calculating the theoretical Gibbs energy of the reaction in solutions [6]. However, there are still various major obstacles in accurately assessing the Gibbs free energy value of reaction solutions [7]. This may be related to determining the true form of metal ions in aqueous solutions. For example,  $Cu^{2+}$  ions can exist in solution in possible stable forms such as  $[Cu(H_2O)_4]^{2+}$ , or  $[Cu(H_2O)_5]^{2+}$ , or  $[Cu(H_2O)_6]^{2+}$  [8]. In addition, another difficulty is to assess the solvation energy of the substance in water. Especially for ions, when using common solvent models such as PCM (Polarizable Continuum Model) and COSMO (Conductor-like Screening Model), the calculated results are quite different from the experimental value [9].

A large number of stability constants for metal complexes have been experimentally determined, forming a database to serve relevant applications [10]. However, such data are not sufficient because numerous complexes exist

between metal ions and ligands. There have been various attempts to theoretically predict the stability constants of metal complexes [6]. On the basis of the correlation between the stability constant and the properties of metal ions (i.e., ion radius, charge, electronegativity, and ionization potential), the equations for determining the stability constant from the empirical database are formulated [11, 12]. This approach is useful but requires a large amount of suitable empirical data that are suitable for the structure of the studied complex. So far, numerous research groups have made significant efforts in finding quantum computational methods to accurately predict the stability constants of metal complexes [13]. These studies show that a good control of the calculation models may lead to the results that are close to experimental values [14, 15].

In this study, we report an approach of using a thermodynamic cycle in a combination with the DFT theory and SMD solvent model to predict the stability constants of  $Cu^{2+}$  complexes with two organic fluorescent ligands, namely, Calcein blue ( $H_3Cb$ ) and FluoZin-1 ( $H_2Fz$ ) solutions. Two reference ligands, adipic acid ( $H_2A$ ) and iminodiacetic acid ( $H_2Ia$ ), are used. The chemical structure of the ligands is shown in Fig. 1.

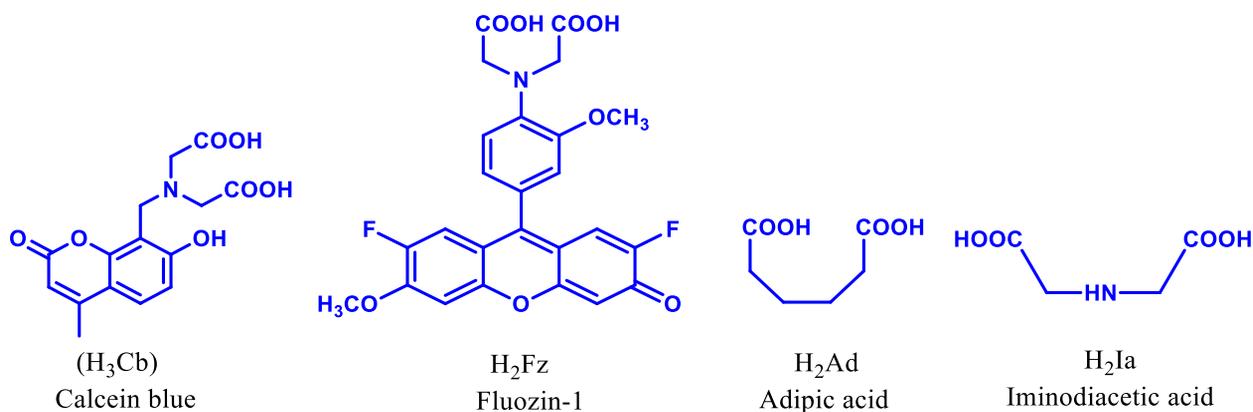
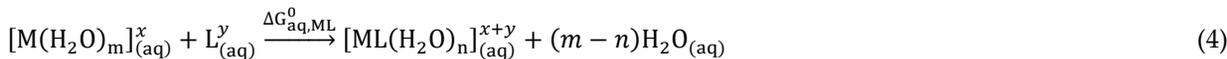


Fig. 1. Structural formula of fluorescent ligands and reference ligands

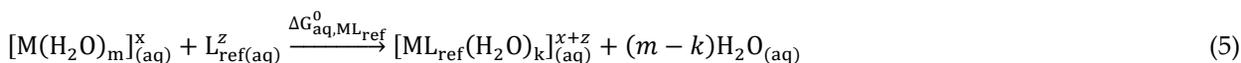
## 2 Methods

### 2.1 Thermodynamic methods

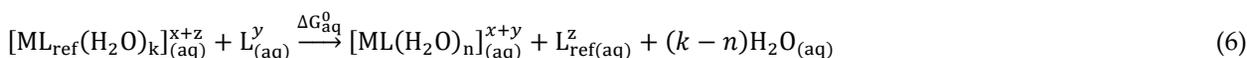
Because  $\text{Cu}^{2+}$  forms 1:1 stoichiometry complexes with the four selected ligands [16-19], the metal



Similar complexation of reference ligands ( $\text{L}_{\text{ref}}$ ) follows Eq. (5).



Eq. (4) and (5) are combined to give Eq. (6).



Three Eqs. (4), (5), and (6) can be combined to obtain Eq. (7).

$$\Delta G_{\text{aq}}^0 = \Delta G_{\text{aq,ML}}^0 - \Delta G_{\text{aq,ML}_{\text{ref}}}^0 \quad (7)$$

According to thermodynamics,  $\Delta G_{\text{aq,ML}}^0$  is related to the equilibrium concentration of substances according to Eq. (8).

$$\Delta G_{\text{aq,ML}}^0 = -RT \ln \frac{[\text{ML}(\text{H}_2\text{O})_n][\text{H}_2\text{O}]^{m-n}}{[\text{M}(\text{H}_2\text{O})_m][\text{L}]} \quad (8)$$

Compared with the definition of stability constant, Eq. (9) is obtained.

$$\Delta G_{\text{aq,ML}}^0 = -RT \ln(\beta_{\text{CuL}} [\text{H}_2\text{O}]^{m-n}) \quad (9)$$

Similarly, for the reference complex, Eq. (10) is derived.

$$\Delta G_{\text{aq,ML}_{\text{ref}}}^0 = -RT \ln(\beta_{\text{CuL}_{\text{ref}}} [\text{H}_2\text{O}]^{m-k}) \quad (10)$$

Eqs. (7), (9), and (10) are combined to obtain Eq. (11).

$$\Delta G_{\text{aq}}^0 = -RT \ln \left( \frac{\beta_{\text{CuL}}}{\beta_{\text{CuL}_{\text{ref}}}} [\text{H}_2\text{O}]^{k-n} \right) \quad (11)$$

Eq. (11) can be rewritten in the form of Eq. (12).

$$\log \beta_{\text{CuL}} = -\frac{\Delta G_{\text{aq}}^0}{RT \ln(10)} + \log \beta_{\text{CuL}_{\text{ref}}} - (k-n) \log[\text{H}_2\text{O}] \quad (12)$$

The concentration of water under the standard state is 55.56 M [20, 21]. From Eq. (12), it can be seen that using a reference complex with known empirical stability constant value ( $\beta_{\text{CuL}_{\text{ref}}}$ ) can avoid estimating the existing form of metal ions in the water environment ( $[\text{M}(\text{H}_2\text{O})_m]^{n+}$ ).

complexes with ligands in a 1:1 molar ratio with the presence of water molecules are considered in this study. Therefore, the complexation is modeled in solution according to Eq. (4).

Moreover, the choice of a complex reference structure that is more similar to the studied complex can partially eliminate the systematic error due to the calculation method [22].  $\beta_{\text{CuL}}$  can be determined from Eq. (12) by using the Gibbs energy of reaction in Eq. (6), which can be found from the thermodynamic cycle in Fig. 2.

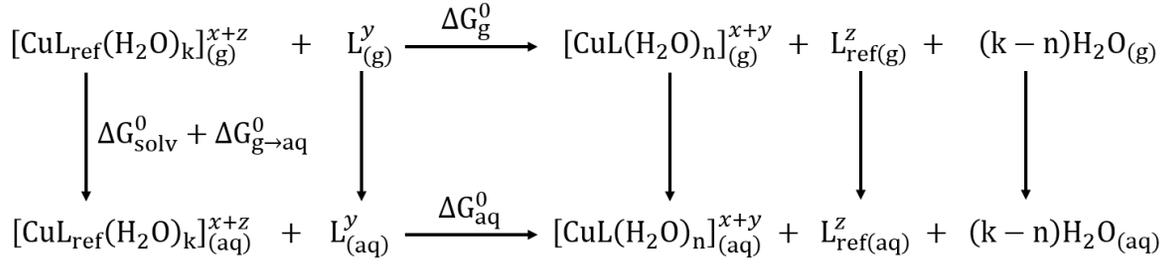


Fig. 2. The relationship between  $\Delta G_{\text{aq}}^0$ ,  $\Delta G_{\text{g}}^0$ ,  $\Delta G_{\text{solv}}^0$ , and  $\Delta G_{\text{g}\rightarrow\text{aq}}^0$

where “g” indicates the gas phase;  $\Delta G_{\text{g}\rightarrow\text{aq}}^0$  is the Gibbs free energy change when transferring a mole of a substance from the standard condition in the gas phase (1 atm or 24.46 L.mol<sup>-1</sup>) into solution (1

L.mol<sup>-1</sup>). This change is equivalent to the process of compressing one mole of an ideal gas with a volume of 24.46 L to 1 L at 298.15 K, and the change of Gibbs free energy is calculated according to Eq. (13).

$$\Delta G_{\text{g}\rightarrow\text{aq}}^0 = \int_{24.46}^1 V dp = -RT \int_{24.46}^1 \frac{dV}{V} = -RT \ln \frac{1}{24.46} = RT \ln 24.46 \quad (13)$$

Thus, for a substance transferred from the gas phase to the solution, the Gibbs free energy is calculated following Eq. (14).

$$G_{\text{aq}}^0 = G_{\text{g}}^0 + \Delta G_{\text{solv}}^0 + RT \ln 24.46 \quad (14)$$

And  $\Delta G_{\text{aq}}^0$  of a complex exchange reaction is determined from the thermodynamic cycle according to Eqs. (15) and (16).

$$\Delta G_{\text{aq}}^0 = (k-n)G_{\text{aq},\text{H}_2\text{O}}^0 + G_{\text{aq},[\text{CuL}(\text{H}_2\text{O})_n]}^0 + G_{\text{aq},\text{L}_{\text{ref}}}^0 - G_{\text{aq},[\text{CuL}_{\text{ref}}(\text{H}_2\text{O})_k]}^0 - G_{\text{aq},\text{L}}^0 \quad (15)$$

$$\Delta G_{\text{aq}}^0 = \Delta G_{\text{g}}^0 + \Delta \Delta G_{\text{solv}}^0 + \Delta \Delta G_{\text{g}\rightarrow\text{aq}}^0 \quad (16)$$

where  $\Delta G_{\text{g}}^0$  is the Gibbs free energy of reaction in the gas phase;  $\Delta \Delta G_{\text{solv}}^0$  is the solvation free energy of reaction, and  $\Delta \Delta G_{\text{g}\rightarrow\text{aq}}^0$  is the Gibbs free energy for standard state change of reaction.

## 2.2 Computational methods

All calculations were performed by using Gaussian16 software [23]. The optimized geometry of each substance is calculated at the theory level of PBE0/6-31+G(d) in the gas phase. Gibbs free energy in the solution of substances was calculated according to Eq. (17).

$$G_{\text{s}} = G_{\text{g}} + \Delta G_{\text{solv}} + RT \ln 24.46 = \varepsilon_0 + G_{\text{corr}} + \Delta G_{\text{solv}} + RT \ln 24.46 \quad (17)$$

where  $\varepsilon_0$  is the electronic structure energy obtained from the single-point energy calculation at PBE0/6311++G(d, p) from the corresponding optimized geometry at PBE0/6-31+G(d,p) in the gas phase.  $G_{\text{corr}}$  is the thermal correction to free energy, which includes zero-point energy correction, and is determined at the same level as the geometry at PBE0/6-31+G(d).  $\Delta G_{\text{solv}}$  is the change of solvation free energy calculated according to the experimentally parameterized model by Truhlar at M052X/631G(d)/SMD [24].

### 3 Results and discussion

#### 3.1 Determination of stable geometry for reference complexes

The value of  $\log\beta$  of the two reference complexes [Cu(Ia)] and [Cu(Adp)] is 10.54 and 3.35,



The more thermodynamically favorable the conversion reaction, the more stable [CuL<sub>ref</sub>(H<sub>2</sub>O)<sub>x</sub>] complex (the more negative value of  $\Delta G_{\text{aq}}^0$ ). Possible stable geometries of the reference complexes are shown in Fig. 3.

respectively [16-18]. The geometric structure of these reference complexes is needed for the calculation models. It is possible to predict their stable geometric structures according to Gibbs free energy change of the conversion between the existing forms of complexes according to Eq. (18).

The calculated results of Gibbs free energy change for the conversion reactions of different complexes (Table 1) show that [Cu(Ia)] and [Cu(Adp)(H<sub>2</sub>O)] are the most stable forms of the two reference complexes. Therefore, these two complexes are used in subsequent calculations.

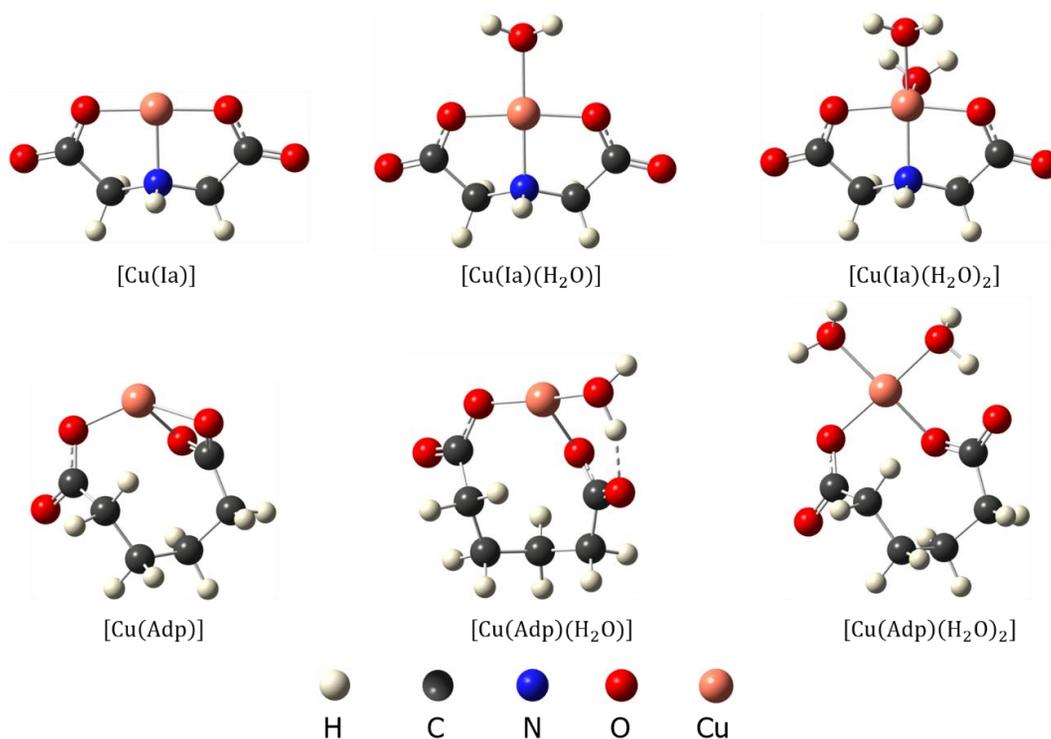


Fig. 3. Stable geometry of the reference complexes

Table 1. Gibbs free energy change for the conversion reaction of the reference complex forms

Reaction	$\Delta G_{\text{aq}}^0$ (kcal. mol <sup>-1</sup> )
$[\text{Cu(Ia)}]_{\text{aq}} + \text{H}_2\text{O}_{\text{aq}} \rightarrow [\text{Cu(Ia)(H}_2\text{O)}]_{\text{aq}}$	1.35
$[\text{Cu(Ia)}]_{\text{aq}} + 2 \text{H}_2\text{O}_{\text{aq}} \rightarrow [\text{Cu(Ia)(H}_2\text{O)}_2]_{\text{aq}}$	8.58
$[\text{Cu(Adp)}]_{\text{aq}} + \text{H}_2\text{O}_{\text{aq}} \rightarrow [\text{Cu(Adp)(H}_2\text{O)}]_{\text{aq}}$	-11.07
$[\text{Cu(Adp)}]_{\text{aq}} + 2 \text{H}_2\text{O}_{\text{aq}} \rightarrow [\text{Cu(Adp)(H}_2\text{O)}_2]_{\text{aq}}$	-6.22

### 3.1 Determination of stability constant of $\text{Cu}^{2+}$ complex with $\text{HCb}^{2-}$ and $\text{Fz}^{2-}$

The complex forms that were chosen for the investigation include  $[\text{Cu}(\text{HCb})]$ ,  $[\text{Cu}(\text{HCb})(\text{H}_2\text{O})]$ ,

$[\text{Cu}(\text{HCb})(\text{H}_2\text{O})_2]$ ,  $[\text{Cu}(\text{Fz})]$ ,  $[\text{Cu}(\text{Fz})(\text{H}_2\text{O})]$ , and  $[\text{Cu}(\text{Fz})(\text{H}_2\text{O})_2]$ . The stable geometries of ligands and complexes are shown in Fig. 4 and 5.

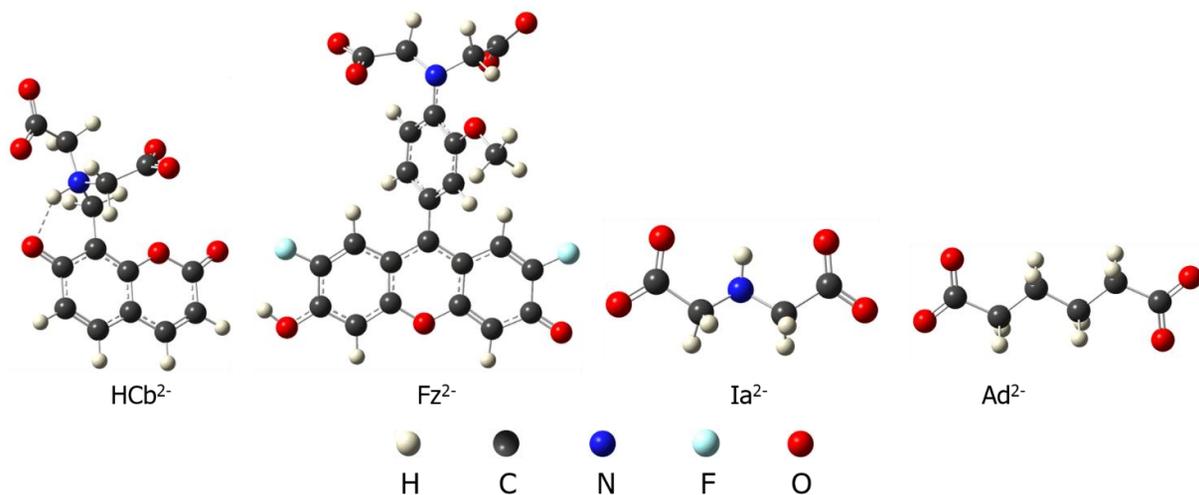


Fig. 4. Stable geometries of fluorescent ligands and reference ligands

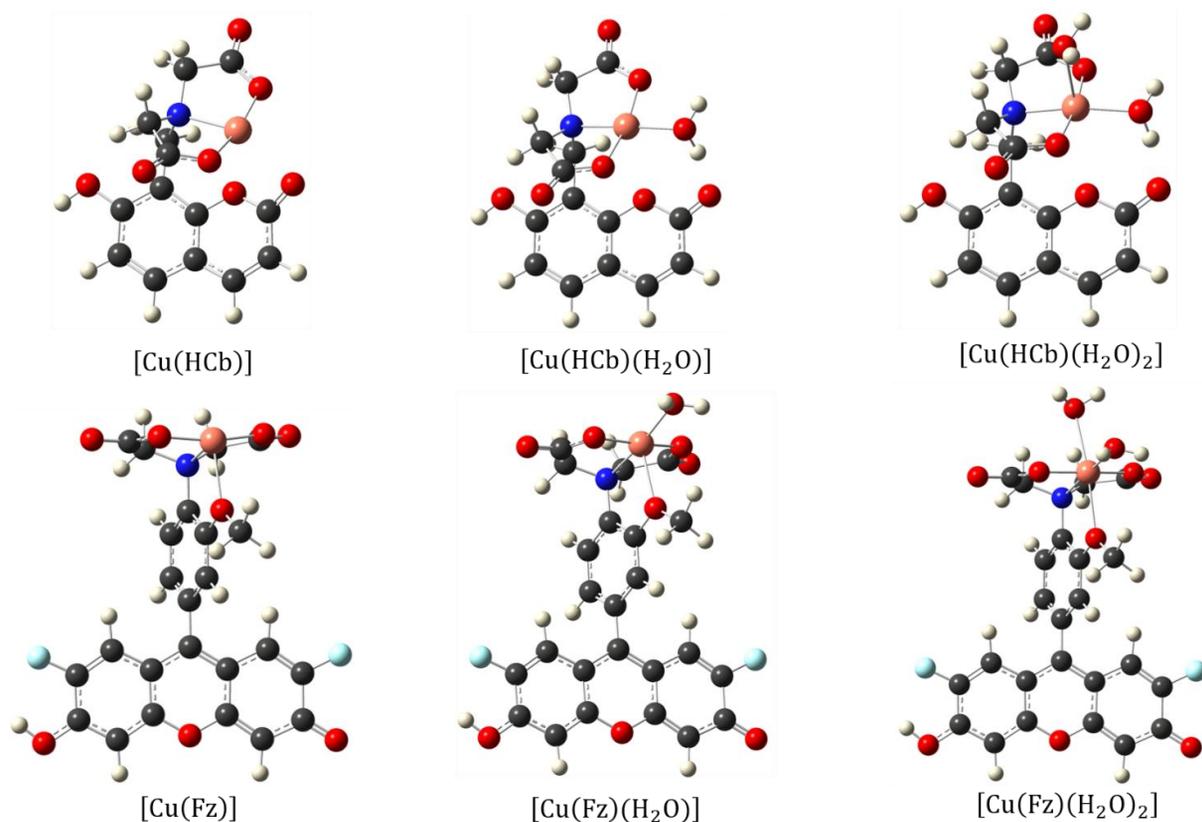


Fig. 5. Stable geometries of complex forms between  $\text{Cu}^{2+}$  and  $\text{HCb}^{2-}$  or  $\text{Fz}^{2-}$

The calculated results in Table 2 indicate that the stability constants of  $\text{Cu}^{2+}$  complexes with  $\text{HCb}^{2-}$  and  $\text{Fz}^{2-}$  when using the reference complexes  $[\text{Cu}(\text{Ia})]$  and  $[\text{Cu}(\text{Adp})(\text{H}_2\text{O})]$  decrease in the following order  $[\text{Cu}(\text{HCb})(\text{H}_2\text{O})] > [\text{Cu}(\text{HCb})(\text{H}_2\text{O})_2] > [\text{Cu}(\text{HCb})]$  and  $[\text{Cu}(\text{Fz})(\text{H}_2\text{O})] > [\text{Cu}(\text{Fz})] > [\text{Cu}(\text{Fz})(\text{H}_2\text{O})_2]$ . Therefore, the most stable complexes between  $\text{Cu}^{2+}$  and  $\text{HCb}^{2-}$  or  $\text{Fz}^{2-}$  are  $[\text{Cu}(\text{HCb})(\text{H}_2\text{O})]$  and  $[\text{Cu}(\text{Fz})(\text{H}_2\text{O})]$ . The calculated stability constants of these two complexes are then compared with the experimental values.

For the  $[\text{Cu}(\text{HCb})(\text{H}_2\text{O})]$  complex, the empirical  $\log \beta_{\text{exp}}$  is 14.27 [19] and the calculated  $\log \beta_{\text{calc}}$  when using the reference complexes  $[\text{Cu}(\text{Ia})]$  and  $[\text{Cu}(\text{Adp})(\text{H}_2\text{O})]$  are 13.33 and 11.39, respectively. The results show that when using the reference complex  $[\text{Cu}(\text{Ia})]$ , the predicted stability constant of the  $\text{Cu}^{2+}$  complex with  $\text{HCb}^{2-}$  is closer to the experimental value. This might be due to the similar structure of the chelating center [25]. Both ligands have a chelating center with three atoms containing nonbonding pairs of electrons on the two oxygen atoms in the two carboxyl groups (COO) and the nitrogen atom. For  $\text{Adp}^{2-}$  reference ligands, the similarity between the two chelating

centers is lower due to the absence of nitrogen atom in  $\text{Adp}^{2-}$ . Hence, the calculated constant is less consistent with its experimental value.

For the  $[\text{Cu}(\text{Fz})(\text{H}_2\text{O})]$  complex, the empirical  $\log \beta_{\text{exp}}$  is 6.01 [19], and the calculated values of  $\log \beta_{\text{calc}}$  when using the reference complexes  $[\text{Cu}(\text{Ia})]$  and  $[\text{Cu}(\text{Adp})(\text{H}_2\text{O})]$  are 4.25 and 6.59, respectively. As a result,  $\text{Adp}^{2-}$  is a better reference ligand than  $\text{Ia}^{2-}$  for calculating the stability constant of the  $\text{Cu}^{2+}$  complex with  $\text{Fz}^{2-}$ . There is a similarity in the chelating center between the  $\text{Adp}^{2-}$  and  $\text{Fz}^{2-}$  ligands. The geometric structures of the complexes in Figures 3 and 5 show that the chelating center  $\text{Adp}^{2-}$  has three oxygen atoms containing nonbonding pairs of electrons in two carboxyl groups.  $\text{Fz}^{2-}$  also has three oxygen atoms containing nonbonding pairs of electrons in two carboxyl and methoxy groups ( $\text{OCH}_3$ ), and a nonbonding pair of electrons in the nitrogen atom. However, unlike the nitrogen atom in  $\text{Ia}^{2-}$ , the nitrogen atom in  $\text{Fz}^{2-}$  is conjugated with the aromatic ring, reducing the density of the electron pair in nitrogen; therefore, it may reduce the ability to form a coordination bond between the nitrogen atom and  $\text{Cu}^{2+}$ .

**Table 2.**  $\Delta G_{\text{aq}}^0$  (kcal.mol<sup>-1</sup>) and predicted  $\log \beta$  of different complex forms

Reference complex	[Cu(Ia)]			[Cu(Adp)(H <sub>2</sub> O)]		
	$\Delta G_{\text{aq}}^0$	$\log \beta_{\text{ref}}$	$\log \beta_{\text{calc}}$	$\Delta G_{\text{aq}}^0$	$\log \beta_{\text{ref}}$	$\log \beta_{\text{calc}}$
[Cu(Cb)]	5.17	10.54	6.75	-4.31	3.35	4.77
[Cu(Cb)(H <sub>2</sub> O)]	-1.43	10.54	13.33	-11.70	3.35	11.93
[Cu(Cb)(H <sub>2</sub> O) <sub>2</sub> ]	6.37	10.54	9.35	-3.91	3.35	7.96
[Cu(Fz)]	10.07	10.54	3.17	-5.42	3.35	5.59
[Cu(Fz)(H <sub>2</sub> O)]	10.95	10.54	4.25	-4.42	3.35	6.59
[Cu(Fz)(H <sub>2</sub> O) <sub>2</sub> ]	20.47	10.54	-0.99	5.09	3.35	1.36

## 4 Conclusions

In this study, we propose an approach that uses a thermodynamic cycle in combination with the density functional function theory and the SMD solvent model to predict the stability constant of  $\text{Cu}^{2+}$  complexes with organic fluorescent ligands. The calculated results show that there is a good agreement between the theoretical stability constant and the experimental value. The predicted stability constants ( $\log \beta$ ) of the  $\text{Cu}^{2+}$  complex with Calcein blue and FluoZin-1 are 13.33 (exp. 14.27) and 6.59 (exp. 6.01), respectively. The results also indicate that the selection of reference ligands is a very important task to calculate the stability constants of the target ligands. The more similar the reference and chelating center of a ligand are, the more accurate it is to predict the stability constant of complexes. The method for predicting stability constant presented in this work could be applied to many other complexes.

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